#### **Digital Image Processing and Pattern Recognition**



E1528

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Lecture 9



**Image Sharpening Using High-pass Filters** 

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Filters from Lowpass Filters



## > Introduction

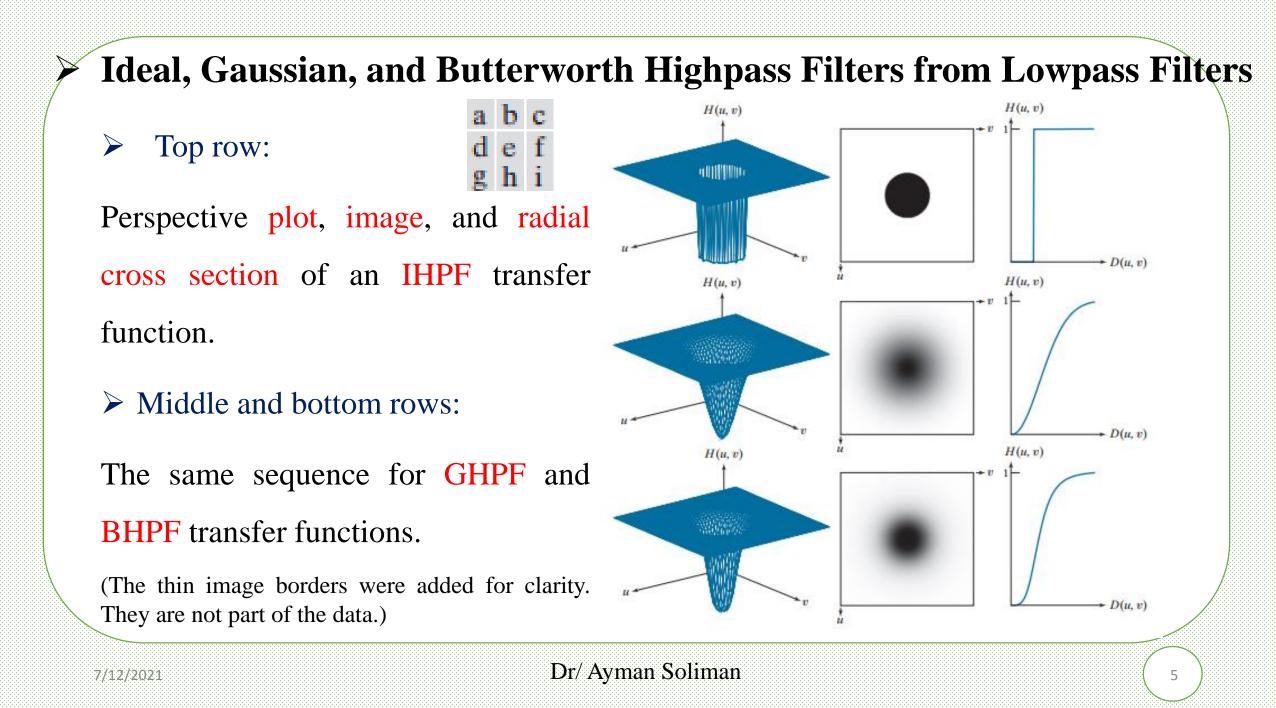
- We showed in the previous lecture that an image can be smoothed by attenuating the high-frequency components of its Fourier transform.
- Because edges and other abrupt changes in intensities are associated with high-frequency components, image sharpening can be achieved in the frequency domain by highpass filtering, which attenuates low-frequencies components without disturbing high-frequencies in the Fourier transform.

subtracting a lowpass filter transfer function from 1 yields the corresponding highpass filter transfer function in the frequency domain

$$H_{HP}(u,v) = 1 - H_{LP}(u,v)$$

> An ideal highpass filter (IHPF) transfer function is given by

$$H(u,v) = \begin{cases} 0, & if \ D(u,v) \le D_0 \\ 1, & if \ D(u,v) > D_0 \end{cases}$$



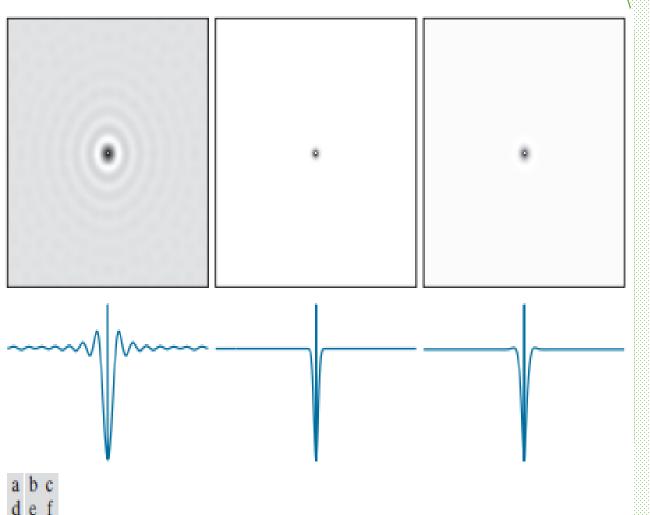
the transfer function of a Gaussian highpass filter (GHPF) transfer function is given by

$$H_{(u,v)} = 1 - e^{-D^2(u,v)/2D_0^2}$$

> the transfer function of a Butterworth highpass filter (BHPF) is

$$H(u, v) = \frac{1}{1 + \left[\frac{D_0}{D_{(u,v)}}\right]^{2n}}$$

- (a)-(c): Ideal, Gaussian, and
  Butterworth highpass spatial kernels
  obtained from IHPF, GHPF, and
  BHPF frequency-domain transfer
  functions. (The thin image borders
  are not part of the data.)
- (d)–(f): Horizontal intensity profiles through the centers of the kernels.



Highpass filter transfer functions. D0 is the cutoff frequency and n is the order of the Butterworth transfer function

